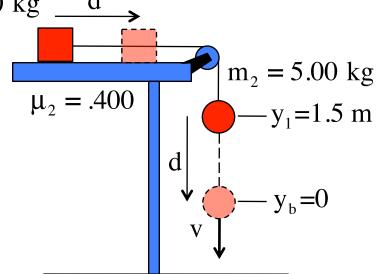
Problem 8.22

 $m_1 = 3.00 \text{ kg}$ __d

This is a classic *Modified Conservation of Energy* problem. Here are the things to remember:

--To calculate *gravitational potential energy*, we would normally assume a "y = 0" level for each individual mass. But as the mass on the table has no work done to it by gravity (it doesn't move upward or downward during



the interval), we can ignore it and focus only on the hanging mass.

--By now you should be able to see by inspection that N.S.L. yields " $N = m_1 g$ " so that friction will do *extraneous work* in the amount:

$$\vec{f} \bullet \vec{d} = \left| \vec{f} \right| \left| \vec{d} \right| \cos 180^\circ = - \left(\mu_k N \right) d = - \left(\mu_k \left(mg \right) \right) d$$
 where $d = \left| y_b - y_1 \right| = 1.5$ m.

With all of that, the Modified Conservation of Energy relationship becomes:

$$m_1 = 3.00 \text{ kg}$$
 $\mu_2 = .400$
 $m_2 = 5.00 \text{ kg}$
 $y_1 = 1.5 \text{ m}$
 $y_2 = 0$
 $y_3 = 0$
 $y_4 = 0$

$$\sum KE_{1} + \sum U_{1} + \sum W_{ext} = \sum KE_{2} + \sum U_{2}$$

$$0 + m_{2}gy_{1} + (\vec{f} \cdot \vec{d}) = (\frac{1}{2}m_{1}v^{2} + \frac{1}{2}m_{2}v^{2}) + m_{2}gy_{b}^{0}$$

$$\Rightarrow m_{2}gy_{1} + (-(\mu_{k}m_{1}g)d) = (\frac{1}{2}m_{1}v^{2} + \frac{1}{2}m_{2}v^{2})$$

$$\Rightarrow v = \left[\frac{2(m_2gy_1 - (\mu_k m_1g)d)}{m_1 + m_2} \right]^{1/2}$$

$$\Rightarrow v = \left[\frac{2(5.00 \text{ kg})(9.8 \text{ m/s}^2)(1.50 \text{ m}) - 2(.400)(3.00 \text{ kg})(9.8 \text{ m/s}^2)(1.50 \text{ m})}{(3.00 \text{ kg}) + (5.00 \text{ kg})} \right]^{1/2}$$

$$= 3.74 \text{ m}$$